"Enabling Joint Localization and Synchronization in mmWave Multiple-Input Single-Output (MISO) Systems via Reconfigurable Intelligent Surfaces"

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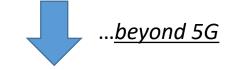


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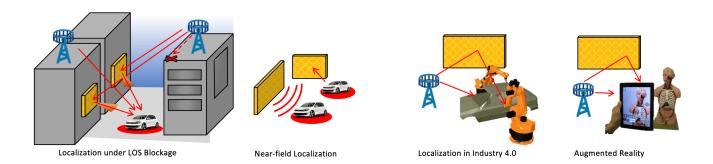


## Localization and Sensing in 5G and Beyond 5G Networks

mmWave MIMO enable very accurate localization and more favorable multipath propagation



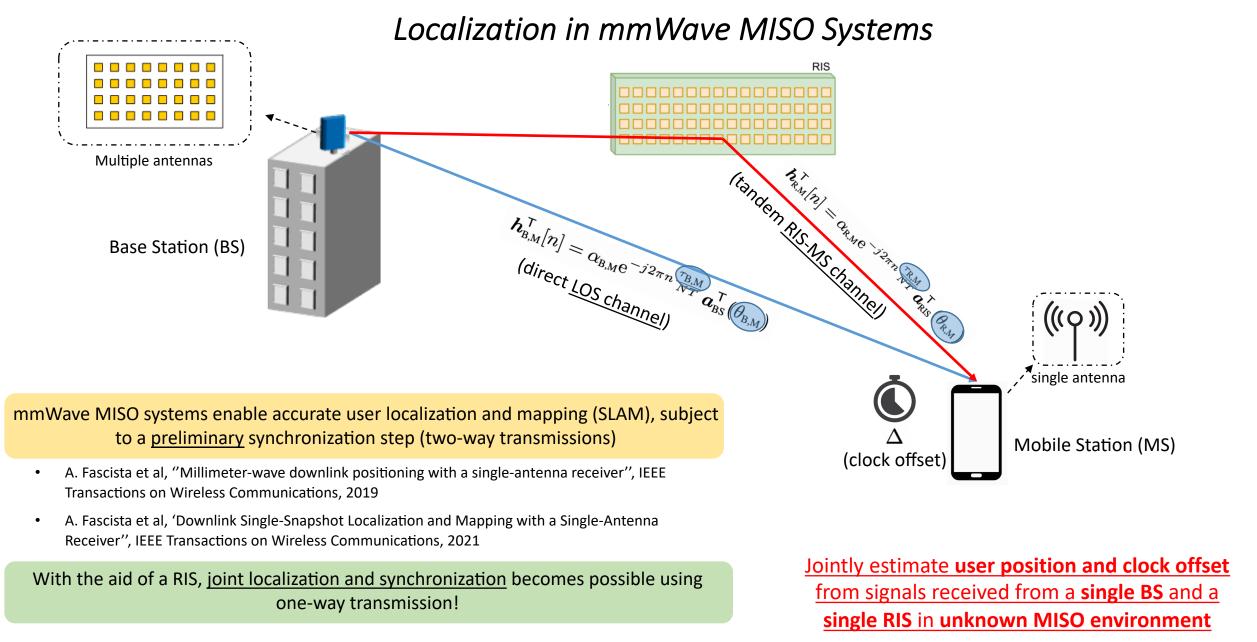
Reconfigurable Intelligent Surfaces: shaping the radio environment for improved positioning



H. Wymeersch et al "Radio Localization and Mapping With Reconfigurable Intelligent Surfaces: Challenges, Opportunities, and Research Directions," IEEE Vehicular Technology Magazine, Dec. 2020

### More challenging case: single-antenna receivers (mmWave MISO)

- a) before full-fledged MIMO will be widespread
- b) limit case of MIMO, in presence of blockages/obstructions
- c) in cases of low-cost IoT single-antenna devices (e.g., WSN nodes, miniaturized sensors, ...)



#### A. Fascista: "Enabling Joint Localization and Synchronization in mmWave Multiple-Input Single-Output (MISO) Systems via Reconfigurable Intelligent Surfaces"

Maximum Likelihood Joint Localization and Synchronization

- Desired parameters:  $\boldsymbol{\Theta} = [p_x \ p_y \ \Delta]^{\mathsf{T}}$  (user position and clock offset)
- Stack all the N samples collected for each transmission g

$$y^g = \sqrt{P}B^g(\Theta)\alpha + \nu^g$$

• Joint ML Estimation Problem

$$\hat{\boldsymbol{\Theta}}^{\mathrm{ML}} = \arg\min_{\boldsymbol{\Theta}} \left[ \min_{\boldsymbol{\alpha}} \sum_{g=1}^{G} \| \boldsymbol{y}^{g} - \sqrt{P} \boldsymbol{B}^{g} \boldsymbol{\alpha} \|^{2} \right]$$
Inner minimization possible in closed-form
$$\hat{\boldsymbol{\alpha}}^{\mathrm{ML}} = \frac{1}{\sqrt{P}} \boldsymbol{B}^{-1} \sum_{g=1}^{G} (\boldsymbol{B}^{g})^{\mathsf{H}} \boldsymbol{y}^{g}$$

$$\hat{\boldsymbol{\Theta}}^{\text{ML}} = \arg\min_{\boldsymbol{\Theta}} \sum_{g=1}^{G} \|\boldsymbol{y}^{g} - \sqrt{P} \boldsymbol{B}^{g}(\boldsymbol{\Theta}) \hat{\boldsymbol{\alpha}}(\boldsymbol{\Theta})\|^{2}$$

- <u>Problem</u>: highly-non linear and requires exhaustive
   3D grid search
- Solution: find a good initial estimate of θ and solve joint ML via iterative optimization (e.g., Nelder-Mead)

### Good Initialization via Relaxed ML Estimation

• More convenient rewriting to **decouple** dependencies on AODs and delays

$$\begin{bmatrix} \boldsymbol{y}^{1} \\ \vdots \\ \boldsymbol{y}^{G} \end{bmatrix}_{\boldsymbol{y} \in \mathbb{C}^{GN \times 1}} = \underbrace{\begin{bmatrix} \Phi_{B,M}^{1}(\theta_{B,M}(\boldsymbol{p})) & \Phi_{R,M}^{1}(\theta_{R,M}(\boldsymbol{p})) \\ \vdots & \vdots \\ \Phi_{B,M}^{G}(\theta_{B,M}(\boldsymbol{p})) & \Phi_{R,M}^{G}(\theta_{R,M}(\boldsymbol{p})) \end{bmatrix}}_{\boldsymbol{\Phi}(\theta_{B,M}(\boldsymbol{p}), \theta_{R,M}(\boldsymbol{p}) \stackrel{\text{def}}{=} \Phi(\boldsymbol{p}) \in \mathbb{C}^{GN \times 2N}} \underbrace{\begin{bmatrix} \boldsymbol{e}_{B,M} \\ \vdots \\ \boldsymbol{p}^{G} \end{bmatrix}}_{\boldsymbol{e} \in \mathbb{C}^{2N \times 1}} + \begin{bmatrix} \boldsymbol{\nu}^{1} \\ \vdots \\ \boldsymbol{\nu}^{G} \end{bmatrix} \text{ with } \boldsymbol{e}_{B,M} = \sqrt{P} \alpha_{B,M} \begin{bmatrix} 1 \\ e^{-j\kappa_{1}\tau_{B,M}} \\ \vdots \\ e^{-j\kappa_{N-1}\tau_{B,M}} \end{bmatrix}, \boldsymbol{e}_{R} = \sqrt{P} \alpha_{R} \begin{bmatrix} 1 \\ e^{-j\kappa_{1}\tau_{R}} \\ \vdots \\ e^{-j\kappa_{N-1}\tau_{R}} \end{bmatrix}$$

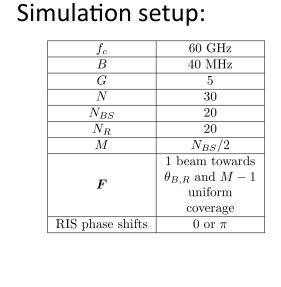
$$depends \text{ on } \boldsymbol{p} \text{ via AODs} depends \text{ on } \boldsymbol{p} \text{ and } \Delta \text{ via delays}$$

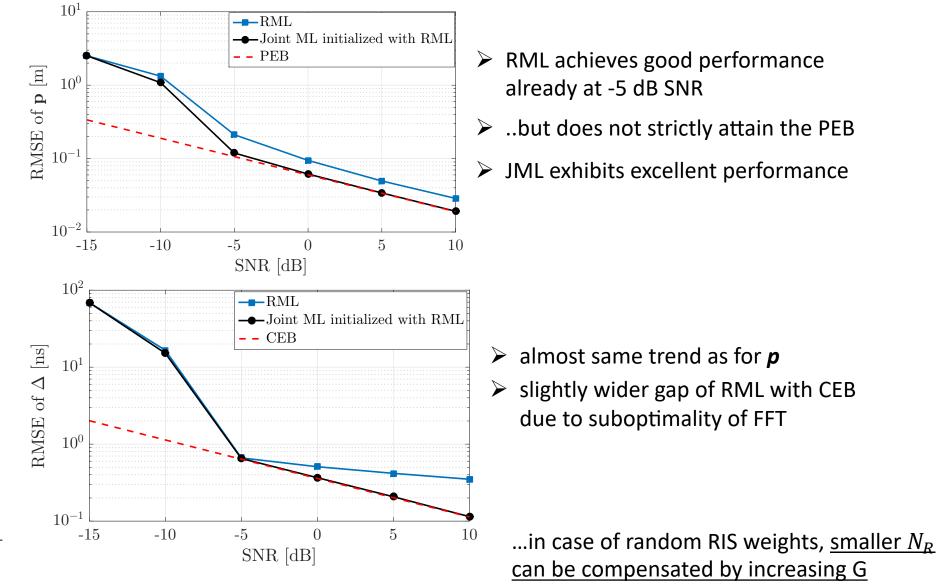
• <u>Relax dependency of **e** on delays</u>  $\rightarrow$  relaxed ML estimator of position-only

$$\hat{p}^{\text{RML}} = \arg\min_{p} \left[ \min_{e} || \boldsymbol{y} - \boldsymbol{\Phi} \boldsymbol{e} ||^{2} \right]$$

$$\hat{e}^{\text{RML}} = (\boldsymbol{\Phi}^{\text{H}}(\boldsymbol{p})\boldsymbol{\Phi}(\boldsymbol{p}))^{-1}\boldsymbol{\Phi}^{\text{H}}(\boldsymbol{p})\boldsymbol{y}$$
(Pseudoinverse only requires G ≥ 2)
$$\hat{\Delta}^{\text{RML}} = \frac{1}{2} \left[ \hat{\tau}^{\text{RML}}_{\text{B,M}} - || \hat{p}^{\text{RML}} || / c + \hat{\tau}^{\text{RML}}_{\text{R}} - (|| \boldsymbol{r} || + || \boldsymbol{r} - \hat{p}^{\text{RML}} || / c \right]$$

# Results





A. Fascista, A. Coluccia, H. Wymeersch, and G. Seco-Granados: "RIS-aided Joint Localization and Synchronization with a Single-Antenna MmWave Receiver", accepted for IEEE ICASSP 2021.

