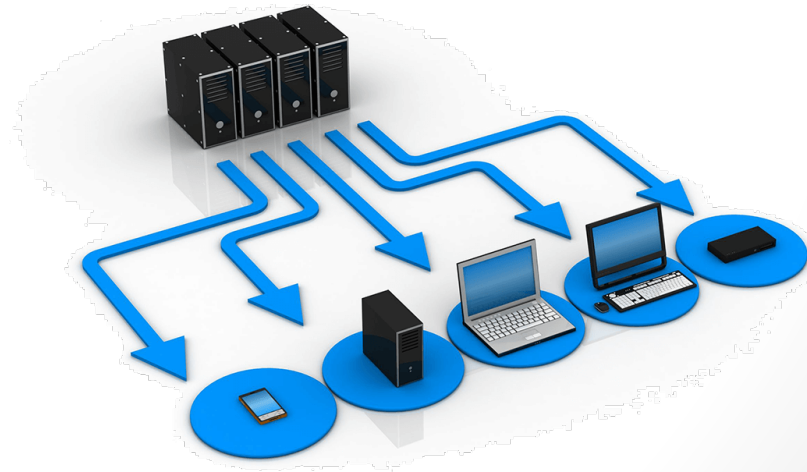
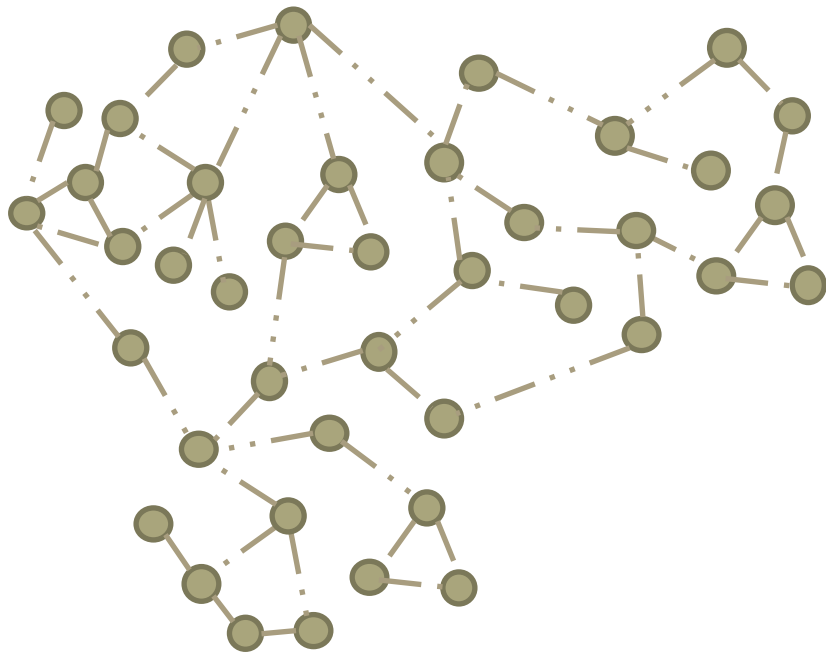


Mario Di Mauro

Statistical Models for the Characterization, Identification, and Mitigation of Distributed Attacks in Data Networks

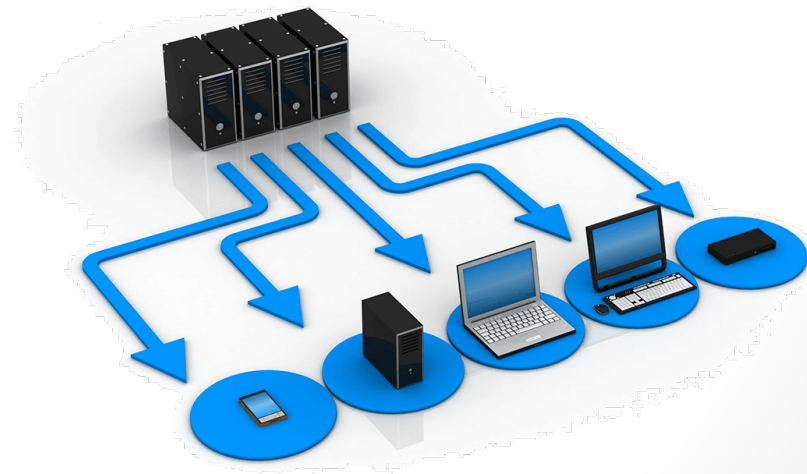
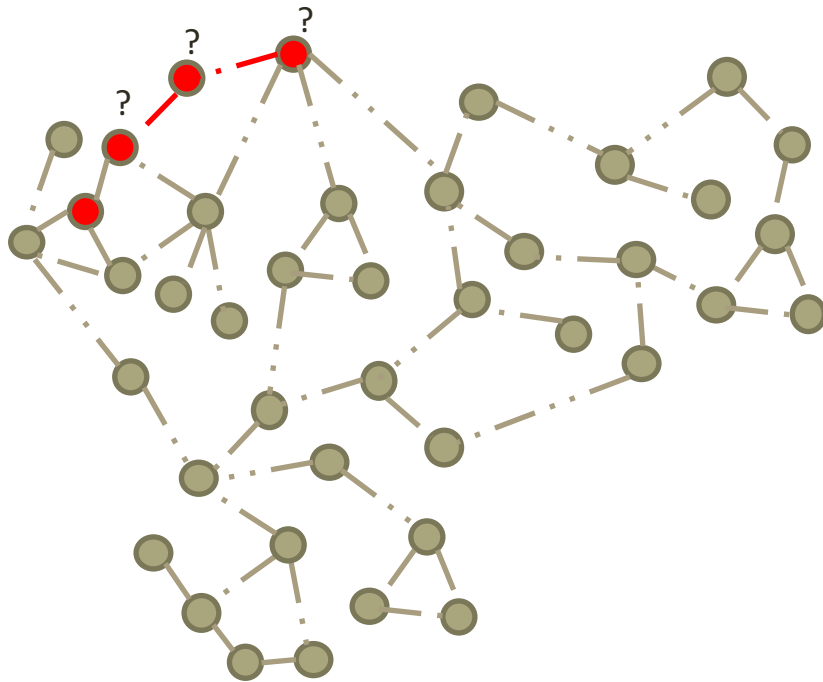
Advisor: Prof. Maurizio Longo

Three critical challenges of distributed cyber-attacks



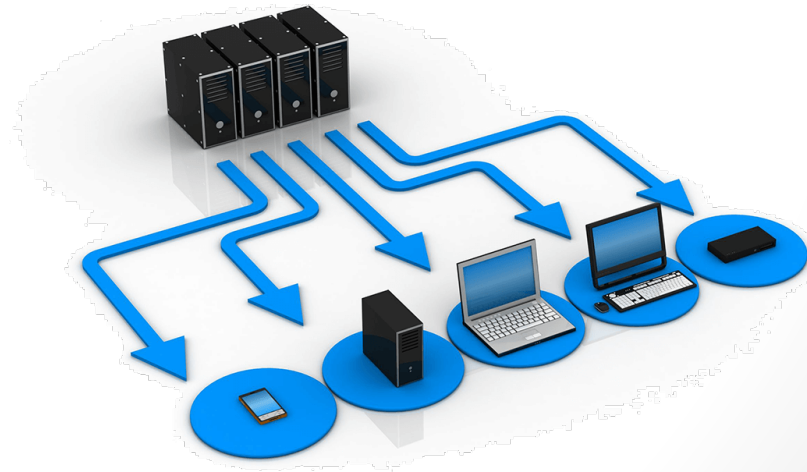
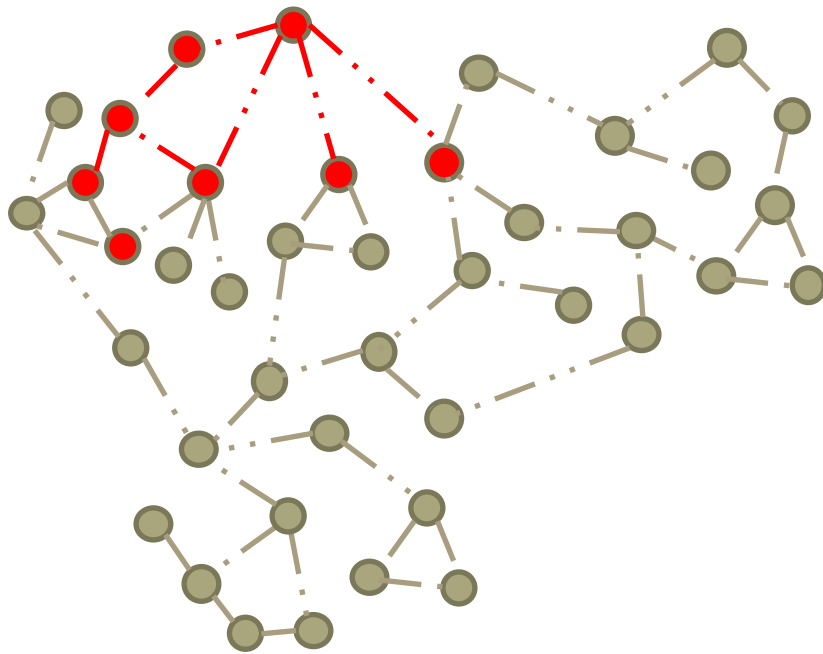
Three critical challenges of distributed cyber-attacks

1. Identifying and banning the sources of the cyber-attack (e.g., the bots in a Distributed Denial-of-Service)



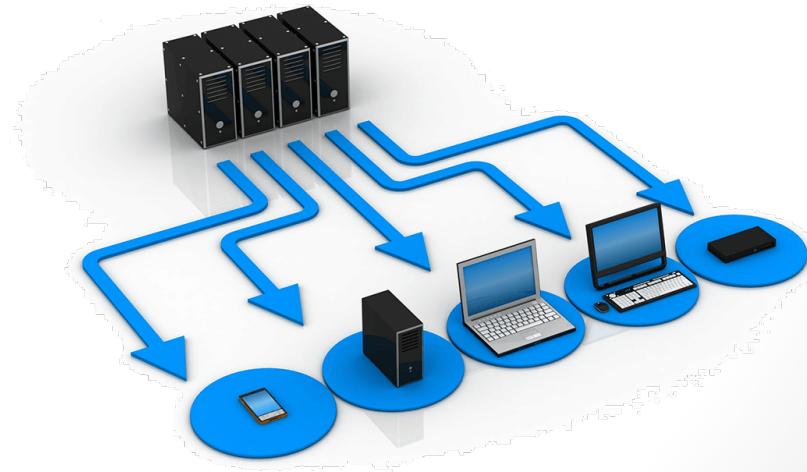
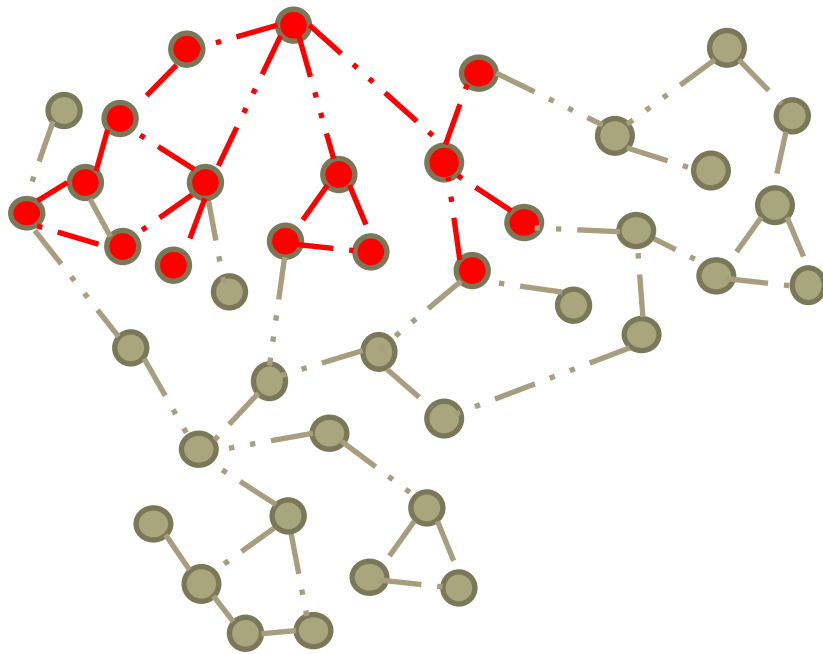
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2. Containing the spreading of a cyber-threat (e.g., a virus or a malware)



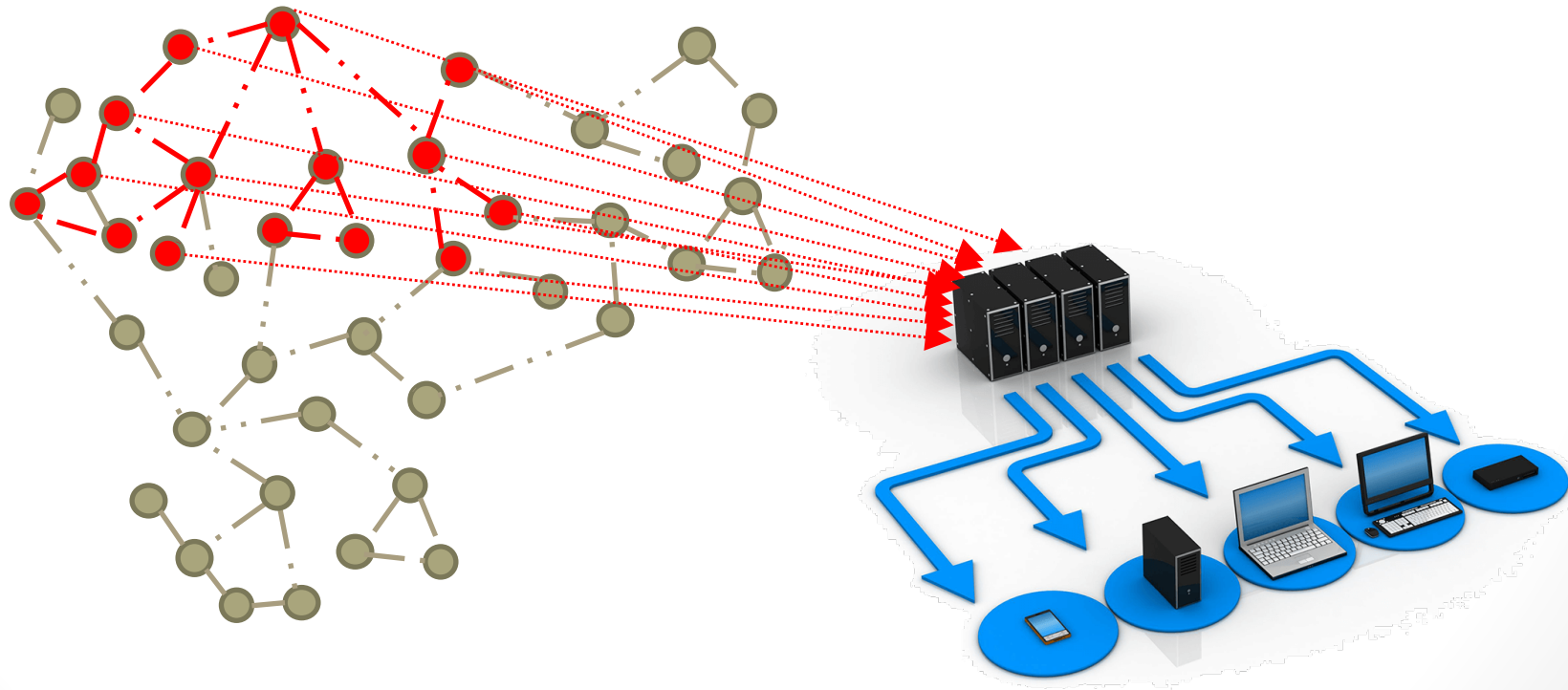
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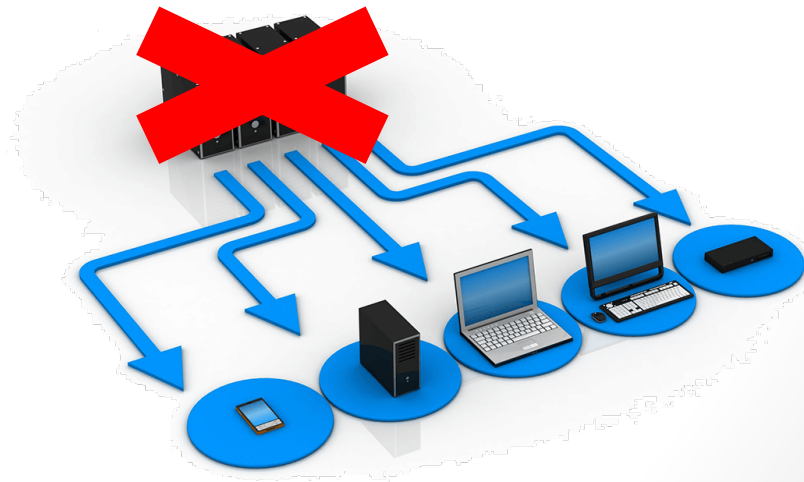
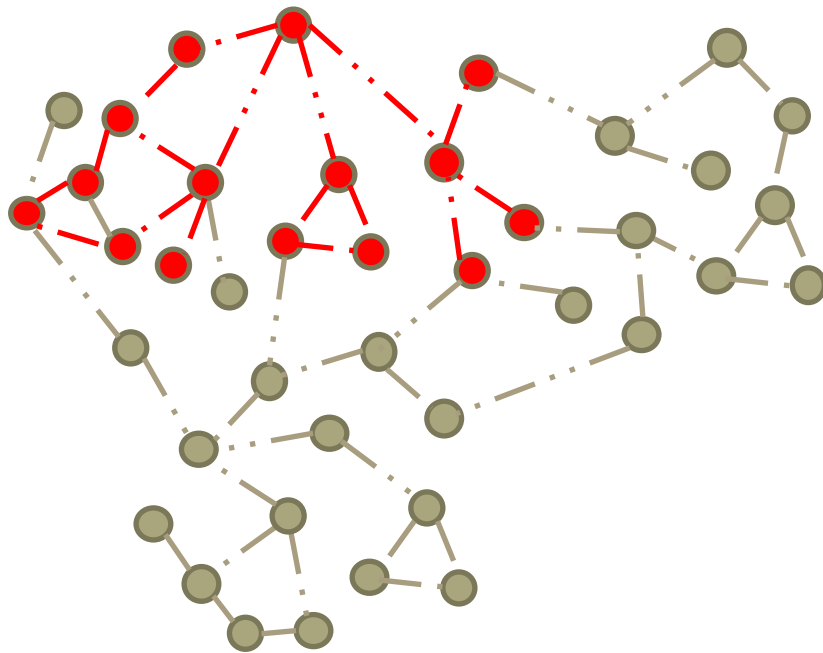
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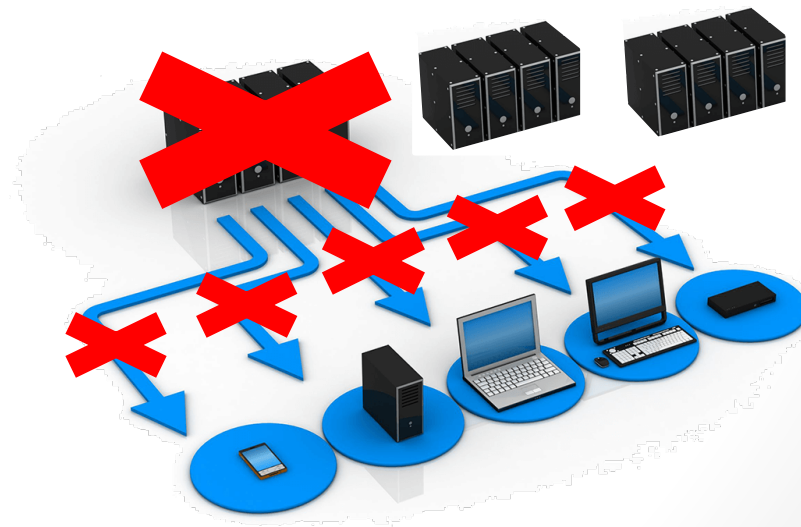
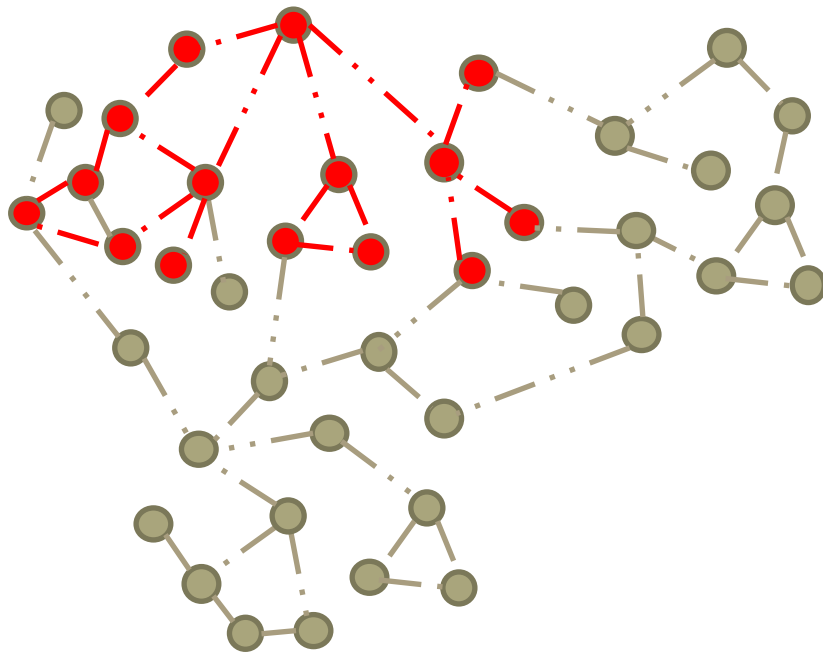
Three critical challenges of distributed cyber-attacks

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Three critical challenges of distributed cyber-attacks

1. Identifying and banning the sources of the cyber-attack (e.g., the bots in a Distributed Denial-of-Service)
2. Containing the spreading of a cyber-threat (e.g., a virus or a malware)
3. Adding controlled network redundancy in view of some defeat (e.g., a network node crashes)



Main Contributions

Proposed solution: inferential strategies to detect, identify, and mitigate the distributed attacks

1. Formal Characterization of a distributed attack in a randomized setting¹

- Botnet model with randomized emulation of legitimate traffic
- *Designed-from-the-scratch* algorithm for hidden botnet identification

2. Analytical Model of the attack spreading phenomenon²

- Kendall's Birth-Death-Immigration model to formalize a spreading attack
- Optimal *curing* resource allocation for attack mitigation

3. Stochastic Techniques for prevention measures

- Modeling network resilience against attacks
- Stochastic approaches: SRN (Stochastic Reward Nets) and original extension of UGF (Universal Generating Function) - Multidimensional UGF (MUGF)³

¹Matta V., Di Mauro M., Longo M., *DDoS Attacks with Randomized Traffic Innovation: Botnet Identification Challenges and Strategies*, IEEE Transactions on Information Forensics and Security, Vol. 12, n°8, Aug.17, pp. 1844-1859

²Matta V., Di Mauro M., Longo M., Farina A. *Cyber-Threat Mitigation Exploiting the Birth-Death-Immigration Model*, IEEE Transactions on Information Forensics and Security, Vol. 13, n°12, Dec. 2018, pp. 3137-3152

³Di Mauro M., Longo M., Postiglione F. *Availability Evaluation of Multi-tenant Service Function Chaining Infrastructures by Multidimensional Universal Generating Function*, submitted on IEEE Transactions on Services Computing



I. Novel Class of Randomized DDoS Attack

DoS (Denial of Service) attack: “volumetric” attack where a target site is overwhelmed with a huge request rate by a single node.

Distributed DoS attack (DDoS): a huge number of apparently innocuous requests is produced in parallel by a net of robots (*Botnet*) coordinated by a Controller (*Botmaster*).

- Hard to identify single nodes of a Botnet
- It is one of the most critical threats to face

Key Idea: designing an “enhanced DDoS attack” where:

The *Botnet* emulates the regular traffic patterns (application layer) by gleaning admissible messages from an “emulation dictionary” (that becomes richer and richer as time elapses) built by the Botmaster during a collection phase to evade detection

Experiments have been carried out in a realistic testbed set up in CoRiTel (Consortium Research on Telecommunication) LAB

The Botnet Identification Condition (BIC)

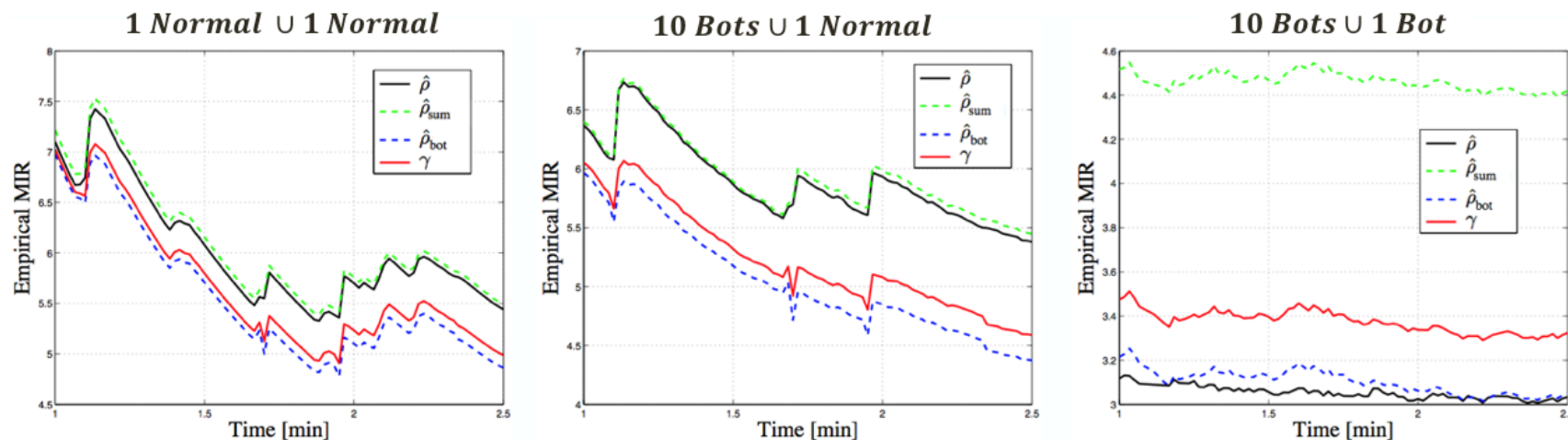
Key point: define a Message Innovation Rate (MIR) ρ defined as the number of **distinct** messages (picked from emulation dictionary) transmitted per unit time from bots.

Intuition: Botnet MIR is smaller than normal (and independent) users MIR

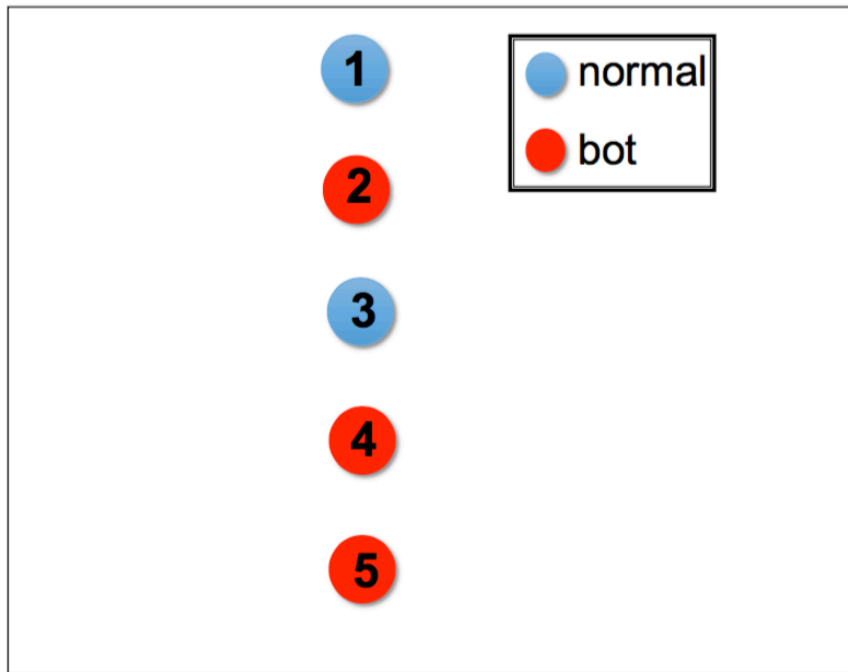
BIC: it is necessary to set a threshold aimed at guaranteeing a separation between the MIR of a “trusted” Subnet and the MIR of a Botnet.

Set an intermediate threshold (tuning parameter $0 < \epsilon < 1$)

$$\rho_{\text{bot}} < \underbrace{\rho_{\text{bot}} + \epsilon(\rho_{\text{sum}} - \rho_{\text{bot}})}_{\text{Threshold } \gamma} < \rho_{\text{sum}}$$



The BotBuster algorithm

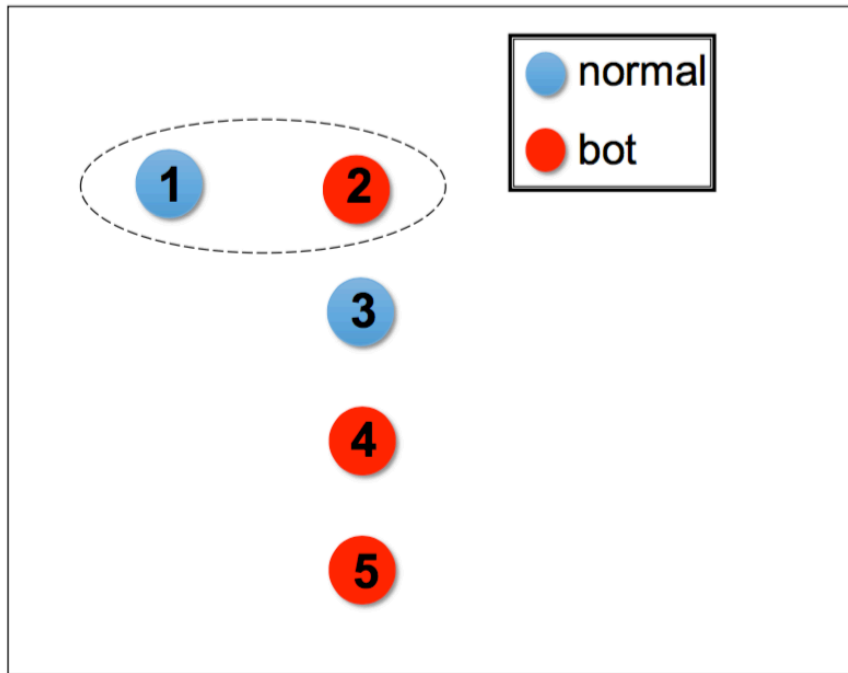


Algorithm 1: $\hat{\mathcal{B}}_{\text{new}} = \text{BotBuster}$

```
 $\mathcal{N} = \{1, 2, \dots, N\}; \hat{\mathcal{B}}_{\text{new}} = \emptyset;$   
for  $b_0 \in \mathcal{N}$  do  
   $\hat{\mathcal{B}} = \{b_0\};$   
  for  $j \in \mathcal{N} \setminus \{b_0\}$  do  
    if  $\hat{\rho}(\hat{\mathcal{B}} \cup \{j\}) < \gamma(\hat{\mathcal{B}}, \{j\})$  then  
       $\hat{\mathcal{B}} = \hat{\mathcal{B}} \cup \{j\};$   
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  end  
  if  $|\hat{\mathcal{B}}| > \max(1, |\hat{\mathcal{B}}_{\text{new}}|)$  then  
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  end  
end
```

Set 1 as pivot

The BotBuster algorithm

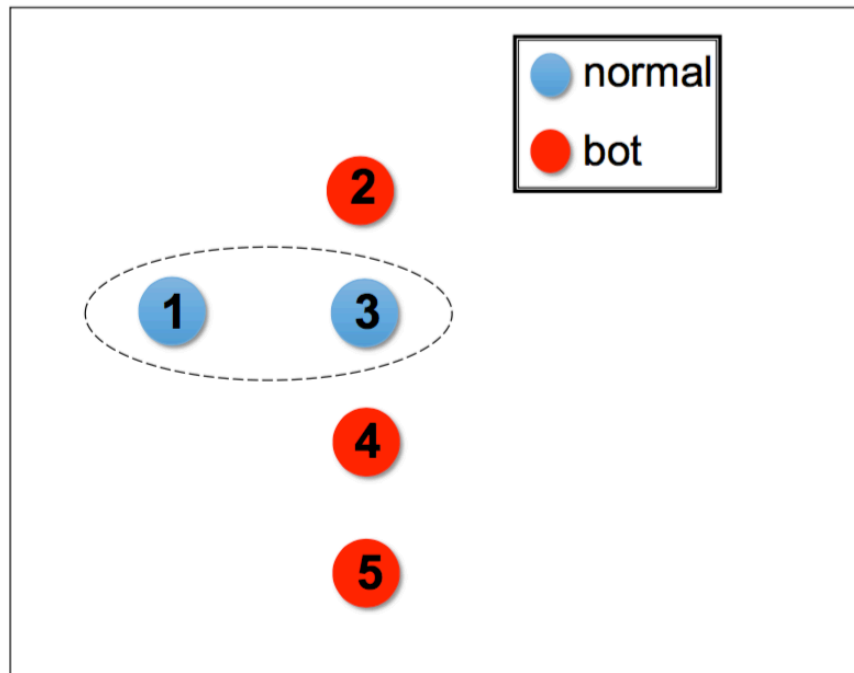


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Not botnet

The BotBuster algorithm

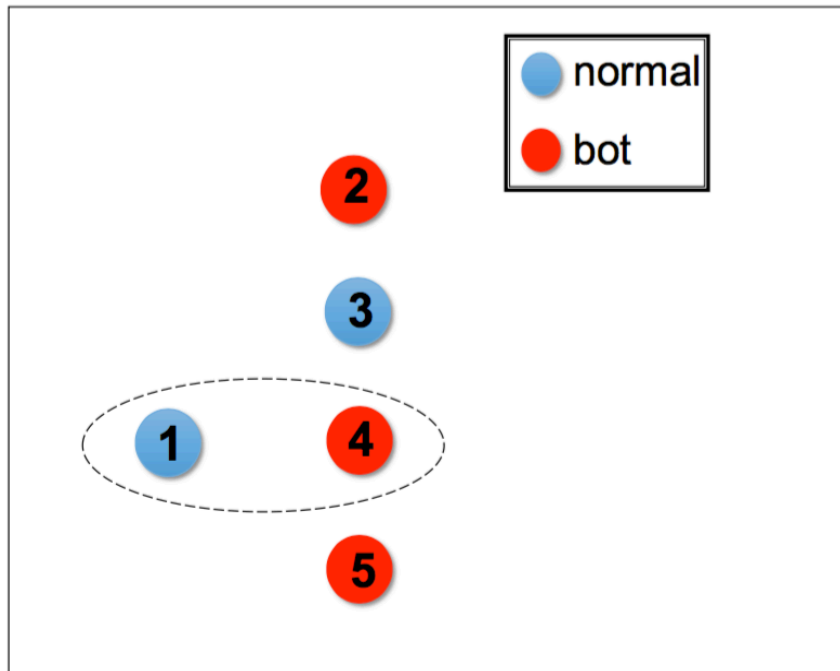


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Not botnet

The BotBuster algorithm

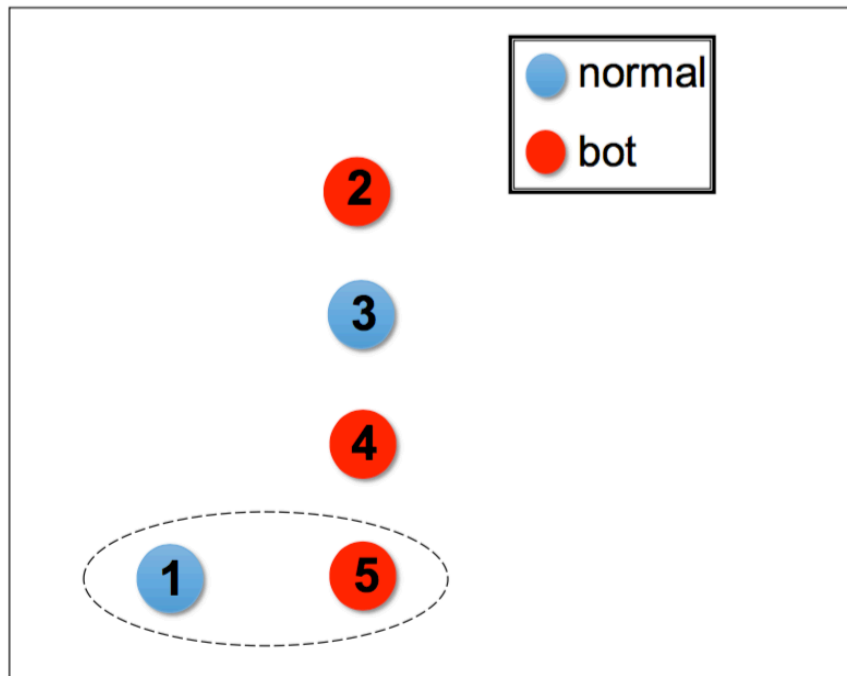


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The BotBuster algorithm

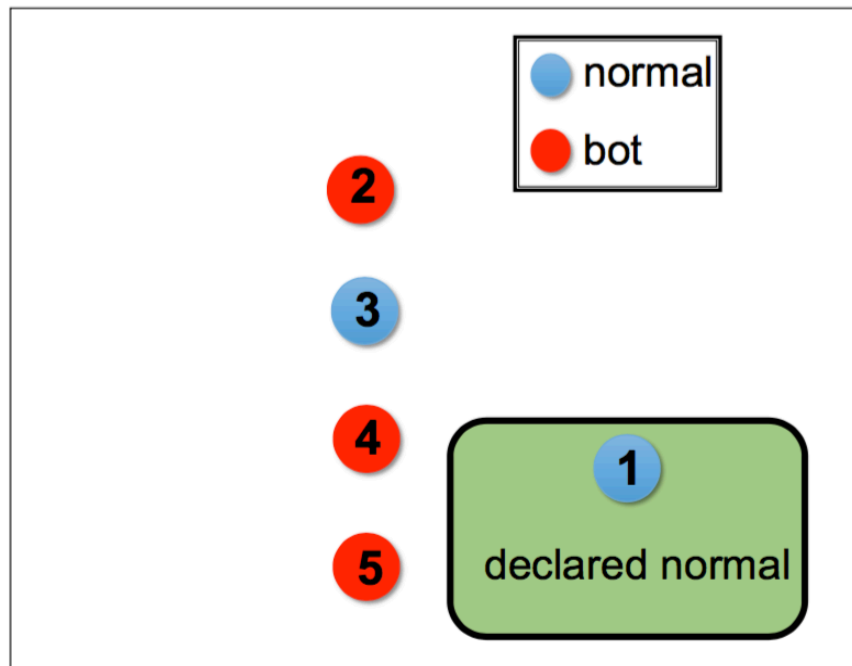


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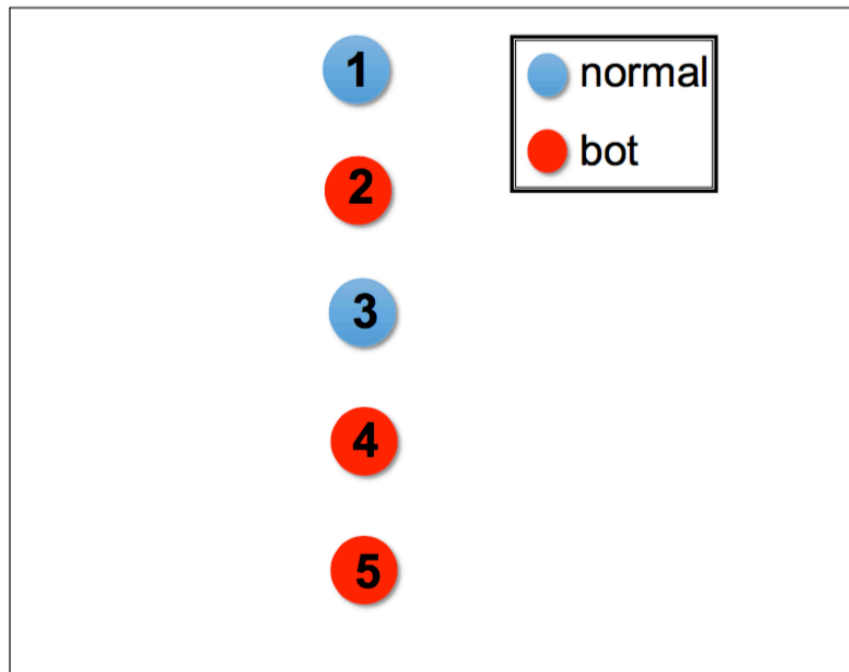


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```

Estimate

The BotBuster algorithm

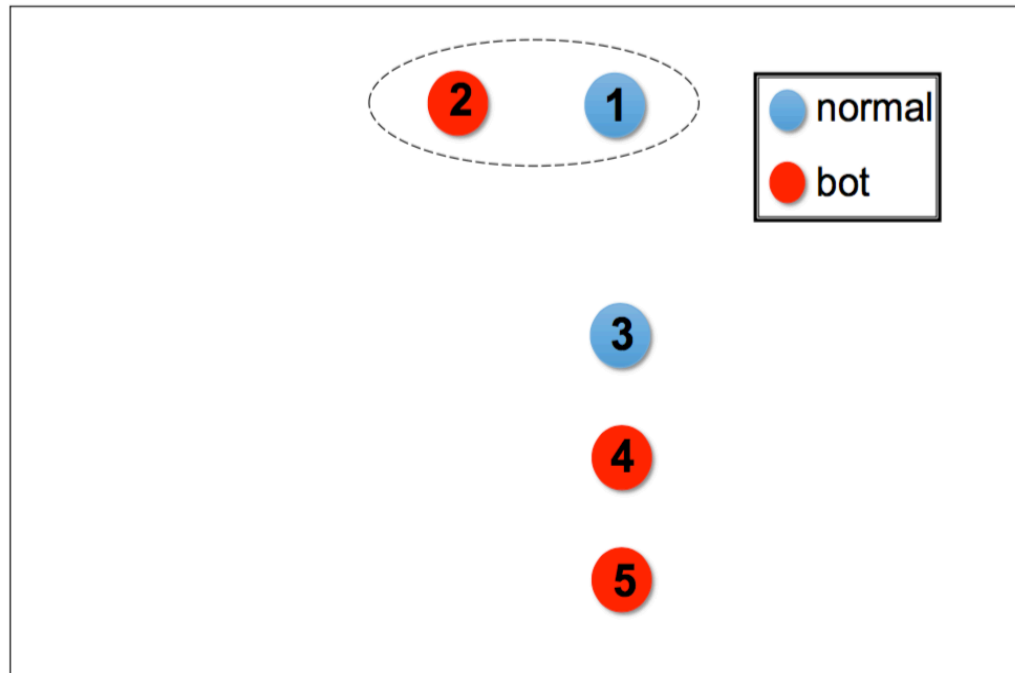


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Set 2 as pivot

The BotBuster algorithm

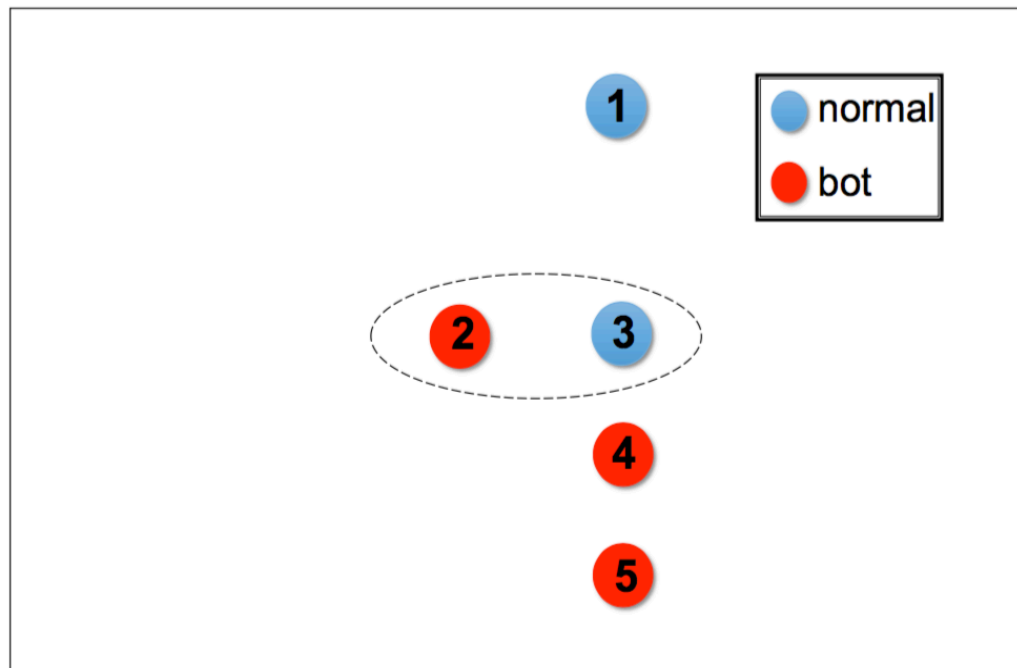


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Not botnet

The BotBuster algorithm

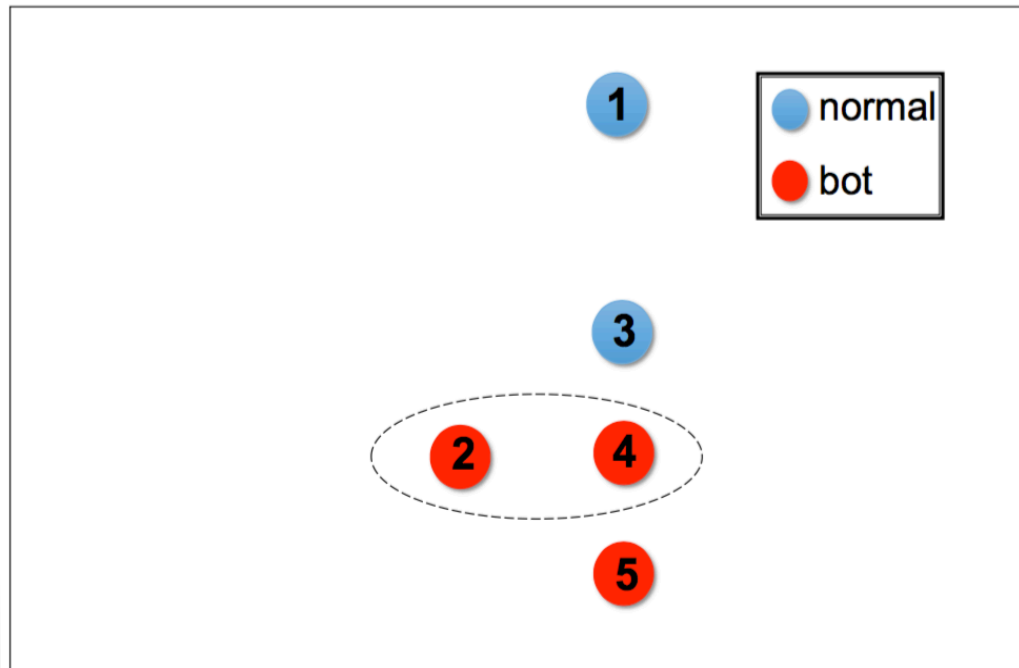


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Not botnet

The BotBuster algorithm

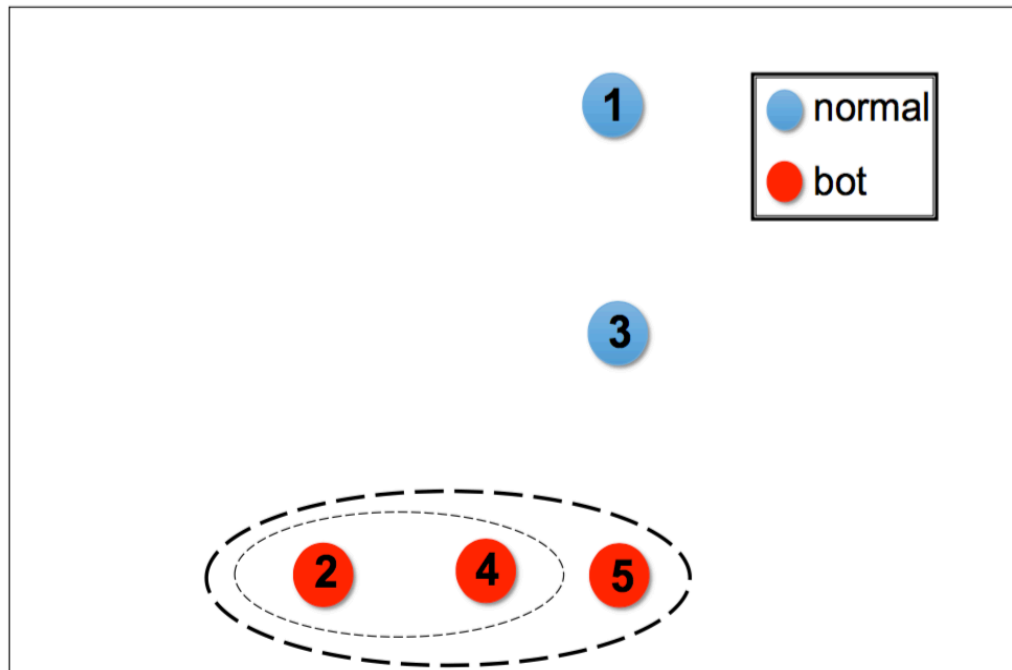


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```

2 and 4 bots

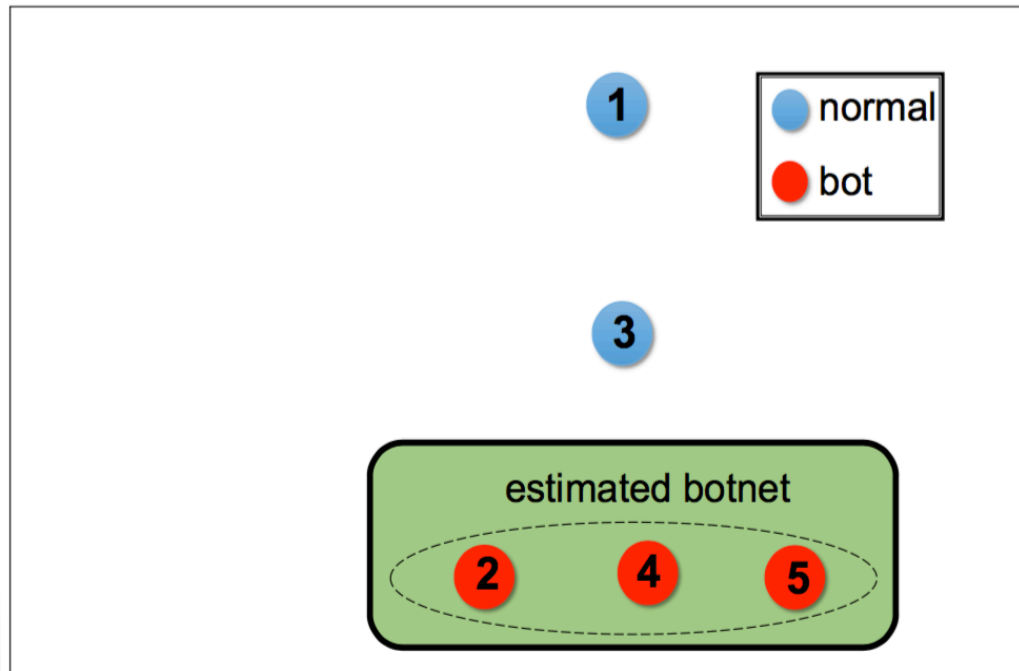
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```

Estimate

Performance indices

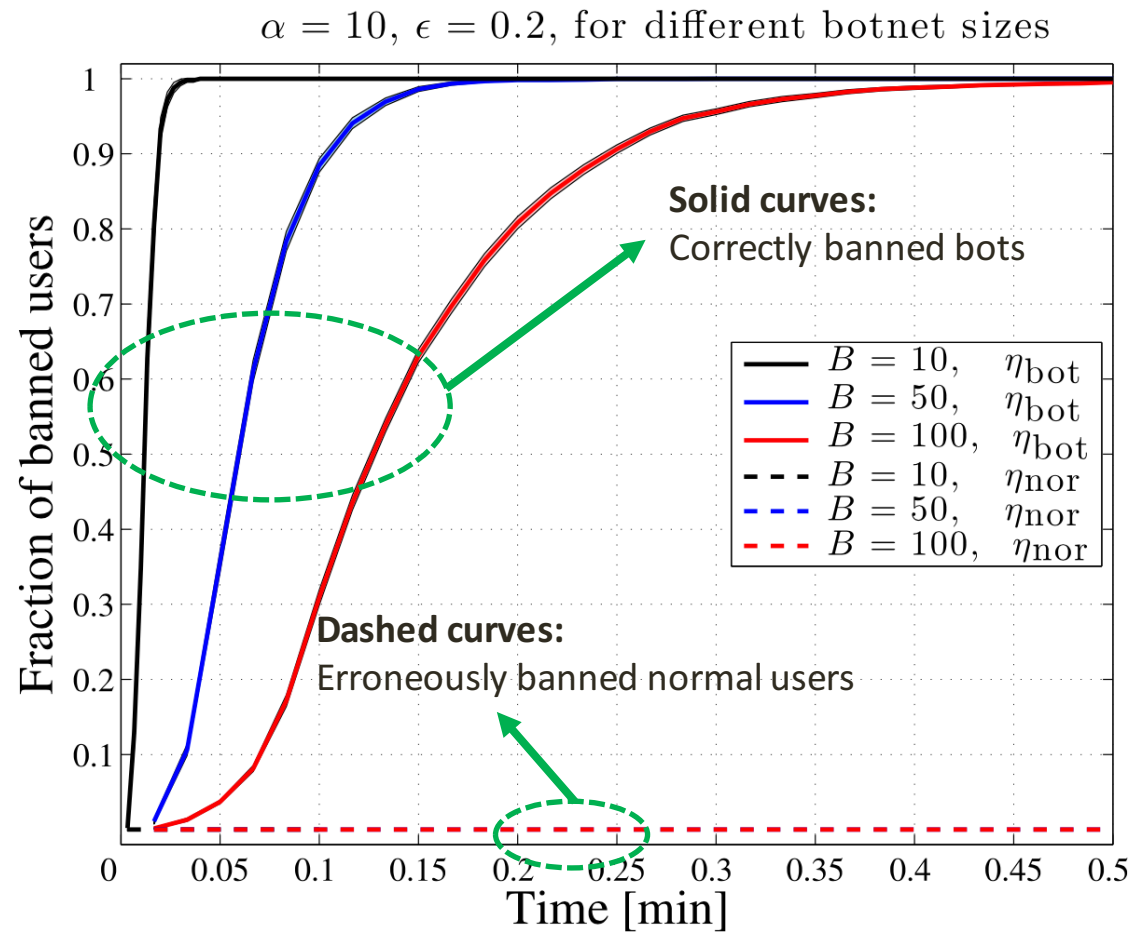
$$\eta_{bot}(t) = \frac{E[|\hat{B}(t) \cap B|]}{|B|}$$

Expected fraction of **correctly banned users**.
We want $\eta_{bot}(t) \rightarrow 1$ as t goes to infinity

$$\eta_{nor}(t) = \frac{E[|\hat{B}(t) \cap (N \setminus B)|]}{|N \setminus B|}$$

Expected fraction of **incorrectly banned users**.
We want $\eta_{nor}(t) \rightarrow 0$ as t goes to infinity

BotBuster applied to real data



- Fraction of banned users as a function of time, for different botnet sizes
- The monitored network is composed by 100 normal users
- Percentage of erroneously banned users never exceeds 5%
- The performance decreases as the number of bots grows

II. Analytical Model of Cyber-Threat Propagation

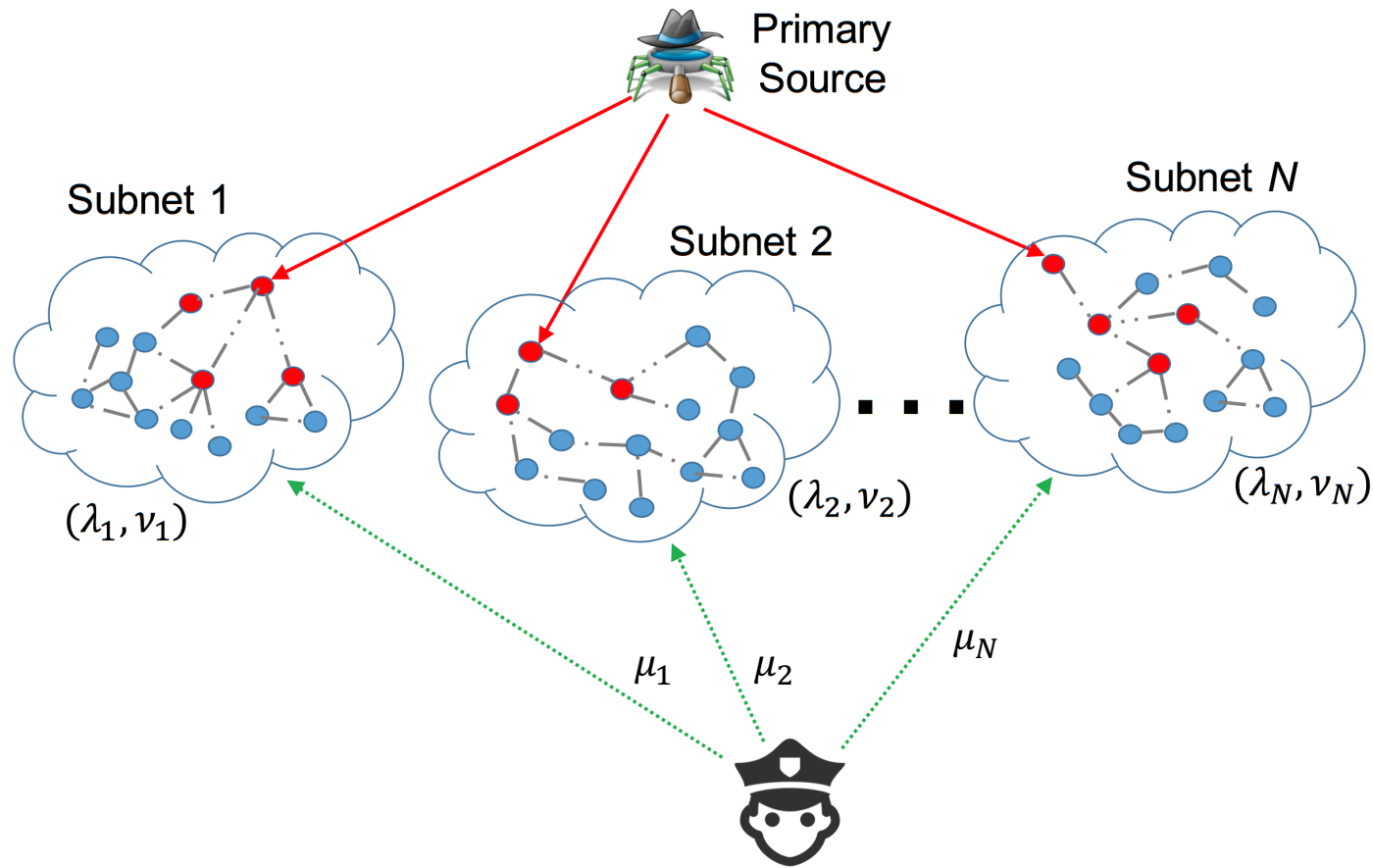
- Adoption of Birth-Death-Immigration model originally proposed by Kendall¹ in 1948
 - **Birth Rate** (λ): represents the number of hosts infected by another infected host per unit time (**internal** infection rate)
 - **Death Rate** (μ): represents the number of “cured hosts” per unit time
 - **Immigration Rate** (ν): represents the number of hosts directly infected by original source per unit time (**external** infection rate)
- The **Mitigation Strategy**: solution of an optimal resource allocation problem, by injecting the optimal curing vector μ

Two cases:

- Vectors λ and ν perfectly known \rightarrow exact solution
- Vectors λ and ν unknown \rightarrow Maximum Likelihood Estimation (MLE)

1. D.G. Kendall, “On some modes of population growth leading to R.A. Fischer’s logarithmic series distribution,” *Biometrika*, vol. 35, n°1/2, pp. 6-15, May 1948.

II. Analytical Model of Cyber-Threat Propagation



1. N subnets (each subnet is susceptible to a specific threat)
2. The random process associated to the no. of sick nodes infected by the primary source is modeled by a Poisson counting process with rate ν
3. The random process associated to the no. of sick nodes infected by secondary source is modeled by a Poisson counting process with rate λ

Operational Regimes

Motivation: In the proposed threat propagation model, each infected node acts as a new (secondary) source of infection. The balance between infection and curing processes can originate various *operational regimes*

Definitions and adopted formalisms

$I(t) \longrightarrow$ Number of infected nodes (state) at time t

$p(n; t) \triangleq \mathbb{P}[I(t) = n] \longrightarrow$ Prob. distrib. of number of infected nodes

$\Psi(x; t) \triangleq \mathbb{E}[e^{xI(t)}] \longrightarrow$ Moment Generating Function (MGF) of $I(t)$ at time t

$\Delta \triangleq \lambda - \mu, \quad \rho \triangleq \lambda/\mu, \quad \eta \triangleq \nu/\lambda \longrightarrow$ Normalized indicators

Operational Regimes

Statistical characterization of $I(t)$

Key Idea: For the B-D-I model, it is possible to find a closed-form solution for the MGF and, then, for the corresponding probability distribution

$$\frac{\partial \Psi}{\partial t} + a(x) \frac{\partial \Psi}{\partial x} = b(x) \Psi$$

← The MGF of $I(t)$ obeys to this first order p.d.e.

$$a(x) \triangleq [\lambda(1 - e^x) + \mu(1 - e^{-x})], \quad b(x) \triangleq \nu(e^x - 1)$$

$$\Psi(x; t) = \left(\frac{1 - \pi_t}{1 - \pi_t e^x} \right)^{\eta + n_0} \left(\frac{1 - q_t e^x}{1 - q_t} \right)^{n_0}$$

n_0 is the initial number of infected nodes

$$\pi_t \triangleq \frac{e^{\Delta t} - 1}{e^{\Delta t} - 1/\rho}, \quad q_t \triangleq \frac{e^{\Delta t} - \rho}{e^{\Delta t} - 1}$$

Asymptotic Regimes

Statistical characterization of $I(t)$

Key Idea: the convergence of MGF implies the convergence in distribution

A seq. X_1, X_2, \dots, X_n of real-valued r.v. is said to *converge in distribution* to r.v. X if:

$$\lim_{n \rightarrow \infty} F_n(X) = F(X)$$

(for all $x \in \mathbb{R}$ at which F is continuous)

$$I(t) \xrightarrow[t \rightarrow \infty]{d} \mathcal{N}_b(\eta, \rho), \quad \text{if } \rho < 1,$$

Negative binomial
Random Variable
(**stable case**)

$$\frac{I(t)}{\lambda t} \xrightarrow[t \rightarrow \infty]{d} \mathcal{G}(\eta), \quad \text{if } \rho = 1,$$

Unit-scale Gamma
Random Variable
(**unstable case**)

$$I(t) e^{-\Delta t} \xrightarrow[t \rightarrow \infty]{d} \mathcal{Y}(\eta, \rho, n_0), \quad \text{if } \rho > 1$$

Generic
Random Variable
(**strongly unstable case**)

Optimal Resource Allocation

Key Idea: Given “infection parameter vectors” λ and ν , we are interested in allocating the optimal “curing vector” μ . Ideally, we would to solve the following *Optimization Problem*:

$$\min_{\mu} \sum_{\ell=1}^N I_{\ell}(t) \quad \text{s.t.} \quad \sum_{\ell=1}^N \mu_{\ell} \leq C$$

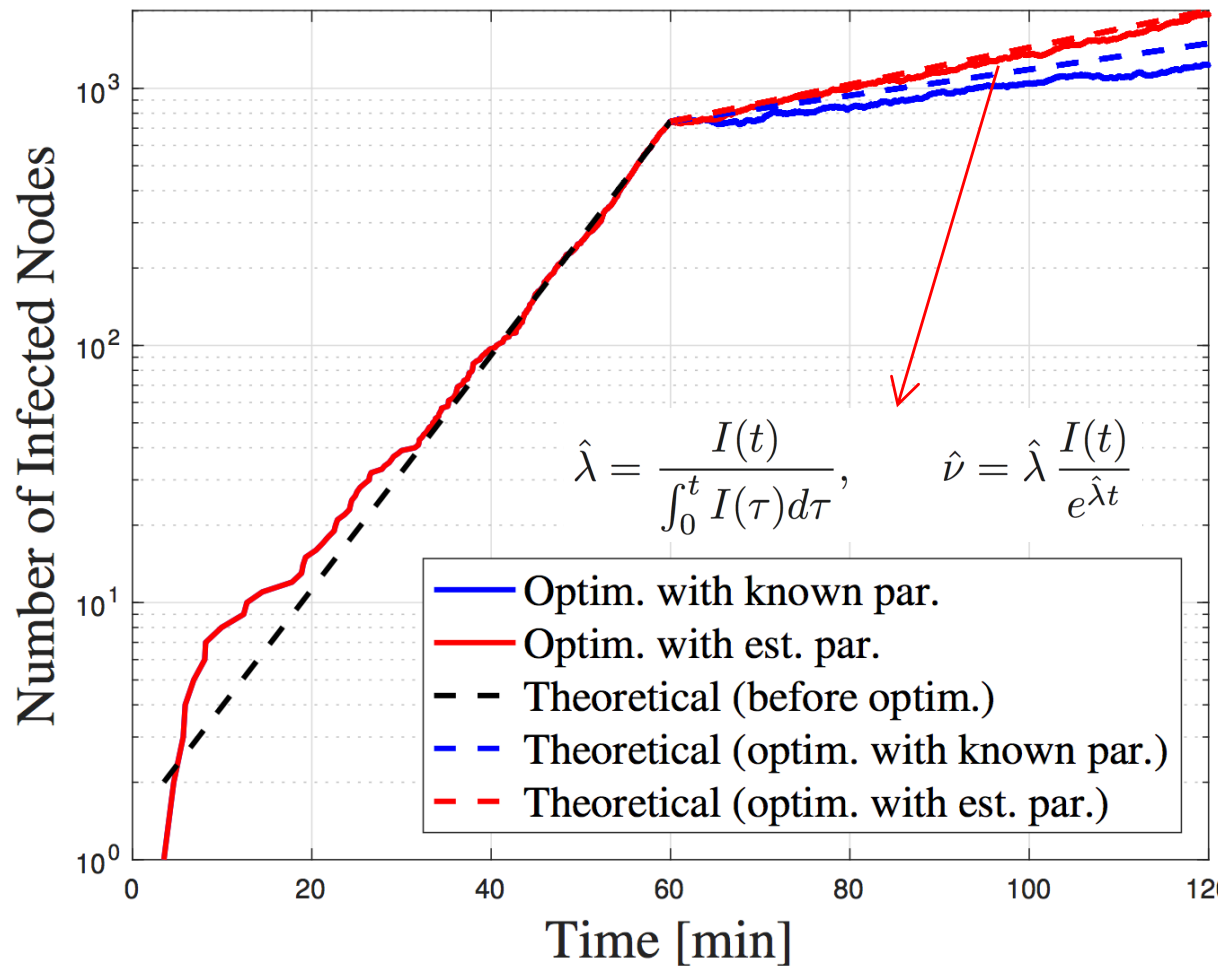
C represents the available curing capacity that determines two regimes:

$$\sum_{l=1}^N \lambda_l > C \longrightarrow \text{global infection rate greater than the available capacity}$$

$$\sum_{l=1}^N \lambda_l \leq C \longrightarrow \text{global infection rate smaller (or equal) than the available capacity}$$

Optimal Resource Allocation

Numerical Results



N° of infected nodes spreading across N=3 subnets.

$$\lambda = [0.104, 0.052, 0.017]$$

$$\nu = [0.104, 0.157, 0.069]$$

$$C = 0.8 \sum_{\ell=1}^N \lambda_{\ell}$$

Case 1:

$$\sum_{\ell=1}^N \lambda_{\ell} > C$$

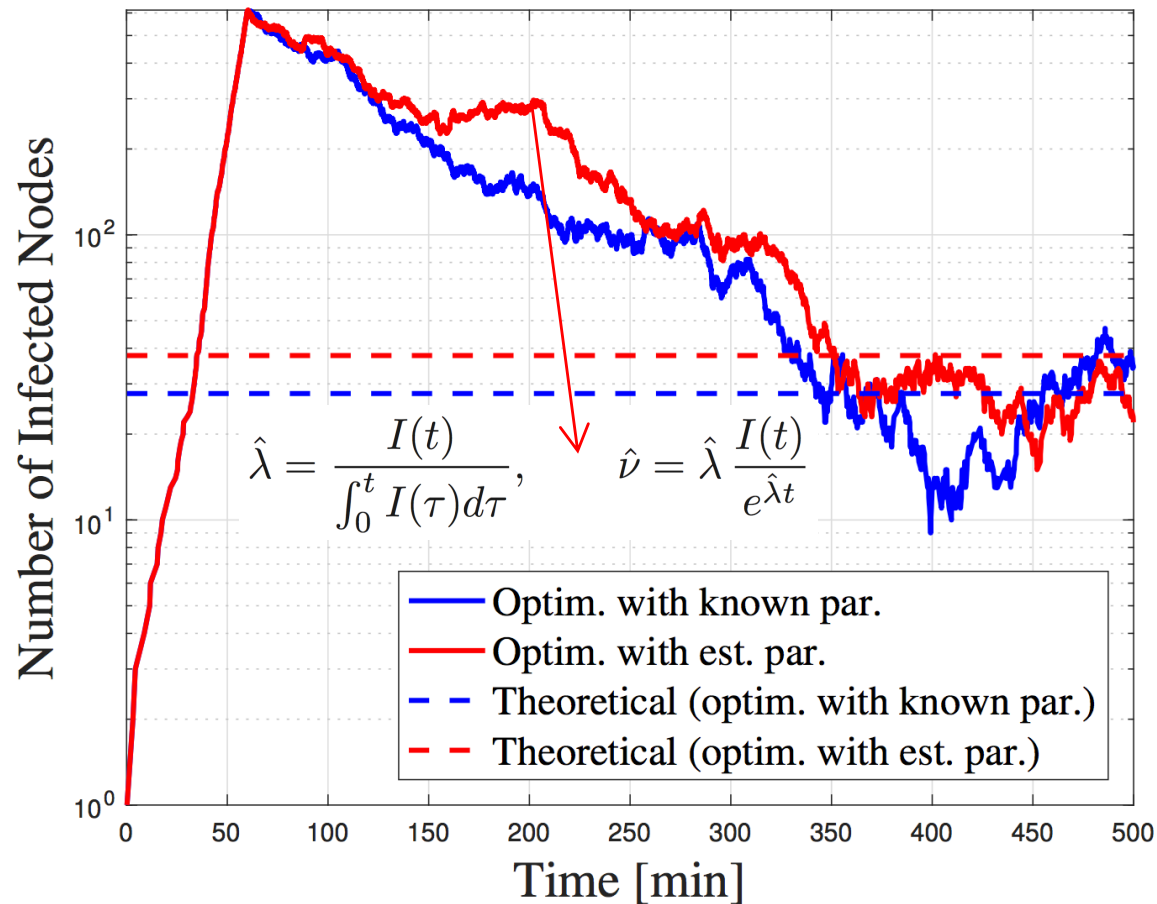


The optimization procedure focuses on mitigating the threat (exp) growth rate



Optimal Resource Allocation

Numerical Results



N° of infected nodes spreading across N=3 subnets.

$$\lambda = [0.104, 0.052, 0.017]$$

$$\nu = [0.104, 0.157, 0.069]$$

$$C = 1.1 \sum_{\ell=1}^N \lambda_{\ell}$$

Case 2:

$$\sum_{\ell=1}^N \lambda_{\ell} < C$$



The optimization procedure is able to guarantee the stability of threat growth (exp. divergence prevention)

Conclusions

1. Conceptualization of a randomized distributed network attack along with mitigation strategies.

Ongoing work: cluster of botnets that completely/partially share emulation dictionaries

2. Characterization of threat propagation phenomenon by means of Kendalls' B-D-I- model with optimal curing solution tested over simulated data

Ongoing work: formulation of the adversarial problem through Game Theory framework

Other (related) Publications

- Di Mauro M., Galatro G., Longo M., Postiglione F., Tambasco M. Availability Modeling of a Virtualized IP Multimedia Subsystem using non-Markovian Stochastic Reward Nets. Accepted for European Safety and Reliability Conf. (2018).
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- Di Mauro M., Longo M., Postiglione F., Tambasco M. (2017). Availability Modeling and Evaluation of a Network Service Deployed via NFV. Digital Communication: Towards a smart and secure future internet. (Springer), chapter book, pag. 31-44. ISBN: 978-3-319-67638-8.
- Di Mauro M., Longo M., Postiglione F., Tambasco M., Carullo G. (2017). Service Function Chaining deployed in an NFV environment: an availability modelling. In proc. of CSCN17, Helsinki, pag. 42-47. ISBN: 978-1-5386-3070-9.
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- Di Mauro M., Longo M., Postiglione F., Restaino R., Tambasco M. (2016). Availability Evaluation of the Virtualized Infrastructure Manager in Network Function Virtualization Environments. In Esrel16. Glasgow, Sept. 2016. ISBN: 978-1-138-02997-2.
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- Carullo G., Di Mauro M., Longo M., Tambasco M., (2016). A Performance Evaluation of WebRTC over LTE. In IEEE/IFIP Wireless On-demand Network systems and Services Conference (WONS 2016). Jan, 2016 ISBN: 978-3-901882-80-7 pp. 170-175. 978-3-9018-8279-1.
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